

# Package ‘XNomial’

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**Type** Package

**Title** Exact Goodness-of-Fit Test for Multinomial Data with Fixed Probabilities

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**Description** Tests whether a set of counts fit a given expected ratio. For example, a genetic cross might be expected to produce four types in the relative frequencies of 9:3:3:1. To see whether a set of observed counts fits this expectation, one can examine all possible outcomes with `xmulti()` or a random sample of them with `xmonte()` and find the probability of an observation deviating from the expectation by at least as much as the observed. As a measure of deviation from the expected, one can use the log-likelihood ratio, the multinomial probability, or the classic chi-square statistic. A histogram of the test statistic can also be plotted and compared with the asymptotic curve.

**VignetteBuilder** knitr

**Depends** R (>= 2.14)

**Suggests** knitr

**NeedsCompilation** yes

**License** GPL

**RoxygenNote** 5.0.0

**Repository** CRAN

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xmonte	<i>Perform Multinomial Goodness-Of-Fit Test By Monte-Carlo Simulations</i>
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### Description

Use `xmonte` to compute a P value to test whether a set of counts fits a specific multinomial distribution. It does this by examining a large number of random outcomes and finding the probability of those cases which deviate from the expectation by at least as much as the observed.

### Usage

```
xmonte(obs, expr, ntrials = 1e+05, statName = "LLR", histobins = F,
        histobounds = c(0, 0), showCurve = T, detail = 1, safety = 1e+08)
```

### Arguments

<code>obs</code>	vector containing the observed numbers. All are non-negative integers summing to $> 0$ .
<code>expr</code>	vector containing expectation. The length should be the same as that of <code>obs</code> and they should be non-negative summing to $> 0$ . They need not be integers or sum to one.
<code>ntrials</code>	the number of random trials to look at, such as <code>ntrials=100000</code>
<code>statName</code>	name of the test statistic to use as a measure of how deviant an observation is from the expectation. The choices are: "LLR" for the log-likelihood ratio, "Prob" for the probability, "Chisq" for the chisquare statistic.
<code>histobins</code>	specifies histogram plot. If set to 0, F or FALSE no histogram is plotted. If set to 1 or T or TRUE a histogram with 500 bins will be plotted. If set to a number $> 1$ a histogram with that number of bins is plotted.
<code>histobounds</code>	vector of length 2 indicating the bounds for the histogram, if any. If unspecified, bounds will be determined to include about 99.9 percent of the distribution.
<code>showCurve</code>	should an asymptotic curve be drawn over the histogram?
<code>detail</code>	how much detail should be reported concerning the P value. If 0, nothing is printed for cases where the function is used programmatically. Minimal information is printed if <code>detail</code> is set to 1, and additional information if it is set to 2.
<code>safety</code>	a large number, such as one billion, to set a limit on how many samples will be examined. This limit is there to avoid long computations.

### Value

`xmonte` returns a list with the following components:

<code>\$ obs</code>	the observed numbers used as input
<code>\$ expr</code>	expected ratios, arbitrary scale

```

$ ntrials      the number of random tables examined
$ statType     which test statistic was used
$ pLLR/pProb/pChi
                the P value computed for the given test statistic
$ standard.error
                the binomial standard error of the estimated P value
$ observedLLR  the value of LLR statistic for these data
$ observedProb the multinomial probability of the observed data under the null hypothesis
$ observedChi  observed value of the chi square statistic
$ histobins    number of bins in the histogram (suppressed if zero)
$ histobounds  range in histogram (suppressed if not used)
$ histoData    data for histogram (suppressed if not used) Length is histobins
$ asymptotoc.p.value
                the P value obtained from the classical asymptotic test – use for comparison only

```

### Examples

```

#One of Gregor Mendel's crosses produced four types of pea seeds in the numbers as follows:
peas <- c(315, 108, 101, 32)
#and he expected them to appear in the ratio of 9:3:3:1 according to his genetic model.
expected <- c(9, 3, 3, 1)
#Test Mendel's theory using
xmonte(peas, expected)
#To see a histogram of the likelihood ratio statistic, use:
xmonte(peas, expected, histobins = TRUE)
#The red areas of the histogram represent those outcomes deviating from the expected 9:3:3:1 ratio
#at least as much as the observed numbers. (Much has been made of the tendency for Mendel's data
#to fit the expectations better than expected!)
#If you wish to use the standard chisquare statistic as a measure of goodness-of-fit instead
#of the LLR, use:
xmonte(peas, expected, statName="Chisq", histobins=TRUE)

```

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xmulti

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*Perform Multinomial Goodness-Of-Fit Test By Full Enumeration*


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### Description

Use `xmulti` to compute a P value to test whether a set of counts fits a specific multinomial distribution. It does this by examining all possible outcomes with the same total count and determining the total (multinomial) probability of those cases which deviate from the expectation by at least as much as the observed. Please see the vignette for more.

### Usage

```

xmulti(obs, expr, statName = "LLR", histobins = F, histobounds = c(0, 0),
        showCurve = T, detail = 1, safety = 1e+09)

```

**Arguments**

obs	vector containing the observed numbers. All are non-negative integers summing to $> 0$ .
expr	vector containing expectation. The length should be the same as that of obs and they should be non-negative summing to $> 0$ . They need not be integers or sum to one.
statName	name of the test statistic to use as a measure of how deviant an observation is from the expectation. The choices are: “LLR” for the log-likelihood ratio, “Prob” for the probability, “Chisq” for the chisquare statistic.
histobins	specifies histogram plot. If set to 0, F or FALSE no histogram is plotted. If set to 1 or T or TRUE a histogram with 500 bins will be plotted. If set to a number $> 1$ a histogram with that number of bins is plotted.
histobounds	vector of length 2 indicating the bounds for the histogram, if any. If unspecified, bounds will be determined to include about 99.9 percent of the distribution.
showCurve	should an asymptotic curve be drawn over the histogram?
detail	how much detail should be reported concerning the P value. If 0, nothing is printed for cases where the function is used programmatically. Minimal information is printed if detail is set to 1, and additional information if it is set to 2.
safety	a large number, such as one billion, to set a limit on how many samples will be examined. This limit is there to avoid long computations.

**Value**

xmulti returns a list with the following components:

\$ obs	the observed numbers used as input
\$ expr	expected ratios
\$ statType	which test statistic was used
\$ pLLR	the P value with LLR as the test statistic
\$ pProb	the P value with the multinomial probability as test statistic
\$ pChi	the P value with the chisquare as test statistic
\$ observedLLR	the value of LLR statistic for these data
\$ observedProb	the multinomial probability of the observed data under the null hypothesis
\$ observedChi	observed value of the chi square statistic
\$ histobins	number of bins in the histogram (suppressed if zero)
\$ histobounds	range in histogram (suppressed if not used)
\$ histoData	data for histogram (suppressed if not used) Length is histobins
\$ asymptotoc.p.value	the P value obtained from the classical asymptotic test
\$ cases.examined	the total number of possible tables

**Examples**

```
#
#One of Gregor Mendel's crosses produced four types of pea seeds in the numbers:
#
peas <- c(315, 108, 101, 32)
#
#and he expected them to appear in the ratio of 9:3:3:1 according to his genetic model.
#
expected <- c(9, 3, 3, 1)
#
#Test Mendel's theory using
#
xmulti(peas, expected)
#
#In this example, the number of cases examined was 28956759,
#and it probably took your computer less than half a second.
#To see a histogram of the likelihood ratio statistic, use:
#
xmulti(peas, expected, histobins = TRUE)
#
#The red areas of the histogram represent those outcomes deviating from the expected 9:3:3:1 ratio
#at least as much as the observed numbers. (Much has been made of the tendency for Mendel's data
#to fit the expectations better than expected!)
#If you wish to use the standard chisquare statistic as a measure of goodness-of-fit instead
#of the LLR, use:
#
xmulti(peas, expected, statName="Chisq", histobins=TRUE)
```

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